

# Primary Maths Calculation Policy Pencil and Paper Procedures

This procedure is reviewed annually to ensure compliance with current regulations

Approved/reviewed by		
Head of Primary & Secondary		
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#### Introduction

Over the years much has changed in the teaching and learning of maths. The calculation methods used by children today are in many cases different from those used by adults when they were at school. This can cause anxiety, with parents and carers unsure whether or not they should teach children particular methods.

The purpose of this booklet is to provide guidance and information about the types of calculation methods that the children at Dubai British School are being taught and are using from Foundation up to Year 6.

The calculation methods taught today gradually build on the children's understanding over a period of time. They have been introduced after research programmes have shown them to be effective. The aim is to teach children calculation methods which they understand, can use correctly, and can use confidently to solve problems.

The Primary National Strategy gives a great deal of emphasis to children learning to use a whole range of mental calculation methods properly, before they move on to written calculations. These mental methods will involve the children writing or drawing things to help them. These are often called "jottings" and might well involve using a number line.

This does not mean that written methods are not seen as important. It is expected that children in Year 6 will have a written method for each operation  $+ -x \div$  which they can use reliably to solve problems. The written methods that children use will not necessarily involve lining the numbers up in columns, since there are other effective methods which we will look at in this booklet.

5	~
2	2

х	20	3
7	140	21



#### Notes to accompany the Calculation Policy

1. The columns for each year group are intended to be for the standard level. Teachers use their year group as a starting point for planning, but in order to meet the needs of the individuals there will be need to look forward or back.

2. When using a number line, show counting on above the line and counting back below the line. Include an arrow to show direction.



3. Using calculators is encouraged for checking answers in all year groups. In years 5 and 6, when written methods are secure, calculators can be used if it is the most efficient method of calculation.

4. Estimating is encouraged from foundation to year 6 by the use of apparatus, rounding and using the inverse operation.

5. The methods of calculations taught within each year group should be applied to other areas, including measurement and problem solving.



Addition			
Foundation	Year 1	Year 2	
Note: Recording the numerals is not expected until F2, term 3. Prior to this teachers will model simple addition and subtraction using formal notation. Children will be encouraged to use their own pictorial recording to represent quantities and the results of simple calculations.	Oral and practical Continue practical work as in foundation. Working with apparatus, including bead strings and unifix to 20. Generating and solving number sentences with Numicon	<u>+ = signs and missing numbers</u> Continue using a range of equations as in Year 1 but with appropriate, larger numbers. Extend to $14 + 5 = 10 + \cdot$ and adding three numbers $32 + \cdot + \cdot = 100$ $35 = 1 + \cdot + 5$	
<b><u>Oral and practical</u></b> Songs and rhymes. Dice and number games. Counting objects in groups. Unifix cubes. Cutting and sticking. Number stories, e.g. There are 3 crabs in the sand and 2 in the	Number bonds using Numicon	Partition into tens and ones and recombine 12 + 23 = 10 + 2 + 20 + 3 = 30 + 5 = 35 refine to partitioning the second number only:	
water. How many are there altogether? Drawing. When children are ready to record numerals the following are possible ways to record simple calculations. Combining sets 3 + 2 =	$\frac{1}{10} = \frac{1}{1+9} = \frac{1}{2+8} = \frac{1}{3+7}$ $\frac{1}{1+9} = \frac{1}{2+8} = \frac{1}{3+7}$ $\frac{1}{3+4} = \cdot = \cdot = \frac{1}{3+4}$ $\frac{1}{3+6} = \frac{1}{7} = \frac{1}{7} = \frac{1}{6} + \frac{1}{4} + \frac{1}{7}$ $\frac{1}{7} = \frac{1}{3+6} + \frac{1}{6} + \frac{1}{6}$	23 + 12 = 23 + 10 + 2 = 33 + 2 = 35 +10 +2	
Identifying and generating numbers using Numicon	$\nabla = 7$ $7 = \cdot + \nabla$ Promoting covering up of operations and numbers.	23 33 35	
	Number lines (numbered) Teacher models first. Children record by - drawing jumps on prepared lines	Add 9 or 11 by adding 10 and adjusting by 1 35 + 9 = 44	
Finding one more than a given number 1 2 3 4 5 6 7 8 9 10 4+1=	7 + 4 + + + + + + + + + + + + + + + + +	35 44 45 -1	
Number lines (numbered)         Number bonds to 10. (May extend to using number lines to 20).         0       1       2       3       4       5       6       7       8       9       10	5 6 7 8 Extend to bridging through 10, e.g. $8 + 5 = 13$ +2 $+3$ $=8$ 10 13		



Addition			
Year 3	Year 4	Year 5	Year 6
+ = signs and missing numbers Continue using a range of equations as in Year 1 and 2 but with appropriate, larger numbers.	<ul> <li>+ = signs and missing numbers using a range of equations as in Year 1 and 2 but with appropriate numbers.</li> </ul>	<ul> <li>+ = signs and missing numbers using a range of equations as in Year 1 and 2 but with appropriate numbers.</li> </ul>	<ul> <li>+ = signs and missing numbers using a range of equations as in Year 1 and 2 but with appropriate numbers.</li> </ul>
Partition into tens and ones and recombine Partition both numbers and recombine. 47 + 36 = 40 + 7 + 30 + 6 OR $47 + 36= 70 + 13= 83$ $70 + 13 = 83Refine to partitioning the second number onlye.g.$	Partition into tens and ones and recombine Either partition both numbers and recombine or partition the second number only e.g. 55 + 37 = 55 + 30 + 7 = 85 + 7 = 92 +30 $+7$	Partition into hundreds, tens and ones and recombineEither partition both numbers and recombine or partition the second number only e.g. $358 + 73 = 358 + 70 + 3$ $= 428 +$ $= 431$	Partition into hundreds, tens, ones and decimal fractions and recombine Either partition both numbers and recombine or partition the second number only e.g. 35.8 + 7.3 = 35.8 + 7 + 0.3 = 42.8 + 0.3 = 43.1
36 + 53 = 53 + 30 + 6	~	+70 +3	+7 +0.3
= 89	55 85 92 Add the nearest multiple of 10, then adjust Continue as in Year 2 and 3 but with appropriate numbers of 62 + 20 is the same	358 428 431	35.8 42.8 43.1
+30     +6       53     83       83     89	as $63 + 30 - 1$ <u>Pencil and paper procedures</u> 358 + 73 = 431 Either OR	Add or subtract the nearest multiple of 10 or 100, then adjust Continue as in Year 2, 3 and 4 but with appropriate numbers e.g. 458 + 79 = is the same as 458 + 80 - 1 Pencil and paper procedures	Add the nearest multiple of 10. 100 or 1000. then adjust Continue as in Year 2, 3, 4 and 5 but with appropriate numbers including extending to adding 0.9, 1.9, 2.9 etc
Add a near multiple of 10 to a two-digit <u>number</u> Continue as in Year 2 using number lines but with appropriate numbers e.g. $35 + 19$ is the same as $35 + 20 - 1$ .	$\begin{array}{cccc} 300+50+8 & 358 \\ + & 70+3 & 73 \\ \hline 300+120+11 = 431 & 11 \\ 120 & & & \\ \end{array}$	numbers carried underneath. 358 <u>+ 73</u> <u>431</u> 11	Pencil and paper procedures Extend to numbers with any number of digits and decimals with 1 and 2 decimal places. 124.9 + 117.25 = 242.15
$\begin{array}{c} \hline \textbf{pencil and paper procedures (Term 3)} \\ 83 + 42 = 125 \\ \hline \textbf{More able} \\ 80 + 3 \\ +40 + 2 \\ \hline \textbf{83 OR} \\ 83 \\ +42 \\ \hline \textbf{83 OR} \\ 83 \\ \hline \textbf{83 OR} \\ \hline 8$	$5000 \\ 431 \\ \text{Extend to decimals in the context of money} \\ (vertically) \\ \pounds 2.50 + \pounds 1.75 = \pounds 4.25 \\ \pounds 2.50 \\ + \pounds 1.75 \\ \pounds 4.25 \\ \pounds 4.25 \\ \hline \end{bmatrix}$	Extend to numbers with at least four digits 3587 + 675 = 4262 3587 + 675 4262 111 Revert to expanded methods if the children experience any difficulty	124.9 + <u>117.25</u> <u>242.15</u> 11 Revert to expanded methods if the children
$ \begin{array}{c ccccccccccccccccccccccccccccccccccc$	(Revert to expanded methods if the children experience any difficulty.)	Extend to decimals (same number of decimals places) and adding several numbers (with different numbers of digits). Model negative numbers using a number line.	experience any difficulty. Extend to decimals (either one or two decimal places).



Subtraction					
Foundation	oundation Year 1 Year 2				
Oral and Practical work Songs and rhymes Dice and number games	Oral and practical Continue as in foundation with apparatus, including bead strings and unifix, using numbers within 20.	<ul> <li><u>- = signs and missing numbers</u></li> <li>Continue using a range of equations as in Year 1 but with appropriate numbers.</li> <li>Extend to 14 + 5 = 20 - •</li> </ul>			
Counting groups of objects and removing some and counting again – emphasising inverse of addition. Unifix cubes Cutting and sticking	Pictures / marks Sam spent 4p. What was his change from 10p? Extend to ∮ ∮ ∮ ∮ ∮ ⊗ ⊗ ⊗ ⊗ ⊗ ⊗	Find a small difference by counting up			
Aumber stories using objects, e.g. How many are there altogether? How many are there now? (after some have been removed.)	Generating and solving number sentences with Numicon	42 - 39 = 3			
Pictures / marks       Take away two       W       W					
5 – 2 =	$\frac{-= \text{ signs and missing numbers}}{7 - 3 = \cdot \qquad \cdot = 7 - 3}$ $7 - \cdot = 4 \qquad 4 = \cdot - 3$	Subtract 0 or 11 Regin to add/outstract 10 or 21			
Finding 1 less than a given number	$ \begin{array}{c} \bullet -3 = 4 \\ \bullet -\nabla = 4 \end{array} \qquad \begin{array}{c} 4 = 7 - \bullet \\ 4 = \bullet -\nabla \end{array} $	35 - 9 = 26			
Number tracks	Number lines (numbered and semi structured) 11 – 7 (Counting back)				
5 – 1 =		-10			
Counting back	The difference between 7 and 11 (Çounting up)	Use known number facts and place value to subtract (partition second number only) 37 - 12 = 37 - 10 - 2 - 27 - 2			
Counting back in 1's orally from different totals up to 20.	0 1 2 3 4 5 6 7 8 9 10 11 12 Recording by - drawing jumps on prepared lines	= 25			
End of term 3 – more able draw on prepared number lines.	- constructing own lines (Teachers model jottings appropriate for larger numbers)	25 27 37			
0 1 2 3 4 5 6 7 8 9 10		-2 -10			



Subtraction			
Year 3	Year 4	Year 5	Year 6
<ul> <li><u>- = signs and missing numbers</u></li> <li>Continue using a range of equations as in</li> <li>Year 1 and 2 but with appropriate numbers.</li> </ul>	<u>- = signs and missing numbers</u> Continue using a range of equations as in Year 1 and 2 but with appropriate numbers.	<ul> <li><u>- = signs and missing numbers</u> Continue using a range of equations as in Year 1 and 2 but with appropriate numbers.</li> </ul>	<ul> <li><u>- = signs and missing numbers</u> Continue using a range of equations as in Year 1 and 2 but with appropriate numbers.</li> </ul>
Find a small difference by counting up Continue as in Year 2 but with appropriate numbers e.g. $102 - 97 = 5$ Subtract mentally a 'near multiple of 10' to or	Find a small difference by counting up e.g. 5003 – 4996 = 7 This can be modelled on an empty number line (see complementary addition below).	Find a difference by counting up e.g. 8006 – 2993 = 5013 This can be modelled on an empty number line (see complementary addition below).	Find a difference by counting up e.g. $0.5 - 0.31 = 0.19$ This can be modelled on an empty number line (see complementary addition below).
Trom a two-digit number Continue as in Year 2 but with appropriate numbers e.g. 78 – 49 is the same as 78 – 50 + 1 <u>Use known number facts and place value</u> to subtract	Subtract the nearest multiple of 10, then adjust. Continue as in Year 2 and 3 but with appropriate numbers. Use known number facts and place value to subtract $92 - 15 = 77$	Subtract the nearest multiple of 10 or 100, then adjust. Continue as in Year 2, 3 and 4 but with appropriate numbers. Use known number facts and place	+0.09 +0.1 0.31 0.4 0.5 Subtract the nearest multiple of 10. 100 or 1000,
Continue as in Year 2 but with appropriate numbers e.g. $97 - 15 = 72$ $82 \qquad 97$	77 -5 -5 -10 Pencil and paper procedures Complementary addition – continue as year	value to subtract $6.1 - 0.4 = 5.7$ 5.7 6.0 6.1 -0.3 -0.1 Pencil and paper procedures Complementary addition including vertical method.	then adjust Continue as in Year 2, 3, 4 and 5 but with appropriate numbers. Use known number facts and place value to subtract Continue as year 5
-5 -10 <u>Pencil and paper procedures</u> Complementary addition 84 – 56 = 28	3 with number line and/ or vertical method. 754 - 86 = 668 +14 $+600$ $+5486$ 100 700 754	754 - 286 = 468 $400 + 54$ $286  300  700  754$ Expanded method of decomposition leading	Complementary addition including vertical method. 6467 - 2684 = 3783
$ \begin{array}{c} +4 +20 +4 \\ 56 & 60 \\ \hline                                   $	Expanded Method of decomposition 572 - 58 = 514 60  12 500 + 7/0 + 2' leading to 572 50 + 8 - 500 + 10 + 4 = 514 Extend to decimals using 3 digit sums of money, with or without adjustment from pence to pounds.	to compact recording. 757 - 259 = 498 $600  140  17 \qquad 61417$ $700 + 50' + 7' \qquad \text{leading to} \qquad 757$ $200 + 50 + 9 - \qquad 259 - 400 + 90 + 8 = 498 \qquad 498$ Extend to decimals using the chosen method using decimal fractions with 3 digits and the same number of decimal places. E.g. £9.42 - 6.78 or 72.5km - 4.6km	<b>Compact decomposition</b> 6467 - 2684 = 3783 51316 6467 - 2684 = 3783 51316 6467 - 2684 3783 Extend to decimals using decimal fractions with up to 3 digits and either 1 or 2 decimal places. E.g. $324.9 - 7.25$ or $14.24 - 8.7$



POLICT

## PRIMARY MATHS CALCULATION

Multiplication			
Foundation	Year 1	Year 2	
Practical and oral Circle time Games Songs and rhymes Counting in ones, twos and tens Matching pairs, e.g socks	Practical and Oral         Continue as foundation but including counting fives         Knowing doubles of numbers to 10         Pictures and symbols         There are 3 sweets in one bag.         How many sweets are there in 5 hars?	$x = signs and missing numbers$ $7 \times 2 = \cdot$ $\cdot = 2 \times 7$ $7 \times \cdot = 14$ $14 = \cdot \times 7$ $\cdot \times 2 = 14$ $14 = 2 \times \cdot$ $\cdot \times \nabla = 14$ $14 = \cdot \times \nabla$	
	(Recording on a number line modelled by the teacher when solving problems)	Arrey ar peated addition 4 x 2 or 4 + 4	
Repeated addition Groups of objects with the same number, counting how many in each group and finding how many altogether.	Numicon to count sets	2 x 4 or repeated addition using numicon	
Recording Drawing, e.g. petals on flowers – draw 3 petals on each flower.			
	Repeated addition Teacher models $3 + 3 + 3 = 9$ for sets of objects Use of coins 2p $2p$ $2p$ $2p$	Doubling multiples of 5 up to 50           15 x 2 = 30	
Term 3 – may record numerals to show how many in each group.	Teacher models number line	Partition 15 x 2 V OR 15 x 2 10 + 5 20 + 10 = 30	
	0 1 2 3 4 5 6	20 + 10 = 30	



Multiplication			
Year 3	Year 4	Year 5	Year 6
<u><b>x</b> = signs and missing numbers</u> Continue using a range of equations as in Year 2 but with appropriate numbers.	x = signs and missing numbers Continue using a range of equations as in Year 2 but with appropriate numbers	<u>x = signs and missing numbers</u> Continue using a range of equations as in Year 2 but with appropriate numbers	x = signs and missing numbers Continue using a range of equations as in Year 2 but with appropriate numbers
Number lines 6 x 3	Partition $23 \times 4 = 92$ $23 \times 4 = (20 \times 4) + (3 \times 4)$ $= (80) + (12)$ $= 92$ OR         Use the grid method of multiplication (as	Partition $47 \times 6 = 92$ $47 \times 6 = (40 \times 6) + (7 \times 6)$ $= (240) + (42)$ $= 282$ Pencil and paper procedures         Grid method (HTU x U and TU x TU) $72 \times 38$ is approximately $70 \times 40 = 2800$ X       70         0       2100	Partition $87 \times 6 = 522$ $87 \times 6 = (80 \times 6) + (7 \times 6)$ $= (480) + (42)$ $= 522$ Pencil and paper procedures         Grid method (ThHTU x U and HTU x TU) $372 \times 24$ is approximately $400 \times 20 = 8000$
$35 \times 2 = 70 \text{ (Partition)}$ $35 \times 2 = 70 \text{ (Partition)}$ $30 + 5$ $60 + 10 = 70$ $\frac{\text{Pencil and paper procedures}}{\text{Use known facts and place value to carry out simple multiplications partitioning using grid method, e.g. 32 x 3 = 96}$	$\frac{Pencil and paper procedures}{Grid method (TU x U)}$ $\frac{x  20  3  23 \times 7 \text{ is}}{7  140  21  x \ 10 = 200}$ $= 161$	$\begin{array}{c ccccccccccccccccccccccccccccccccccc$	x       300       70       2         20       6000       1400       40         4       1200       280       8         Standard method continue as Year 5: (ThHTU x U and HTU x TU)         352 x 27 is approximately 350 x 30 = 10500         352 x 27 7040
$\begin{array}{c cc} x & 30 & 2 \\ \hline 3 & 90 & 6 \\ \end{array} = 96 \end{array}$	Extend more able children to HTU x U. 172 x 6 is approximately $200 \times 6 = 1200$ X 100 70 2 6 600 420 12 = 1032	72 x 38 is approximately 70 x 40 = 2800 72 x 38 2160 (72 x 30) 576 (72 x 8) 2736 1 4.9 Extend to simple x 3 decimals with 12.0 (4.0 x 3) one decimal 2.7 (0.9 x 3) place. 14.7	$\begin{array}{r} 2464 \\ \underline{2464} \\ \underline{352 \times 7} \\ \underline{9504} \end{array}$ Extend to decimals with up to two decimal places. $12.5 \times 2.5$ $25.0  (2.5 \times 10.0)$ $5.0  (2.5 \times 2.0)$ $\underline{1.25}  (2.5 \times 0.5)$ $\underline{31.25}$ Moving to formal methods of multiplication for decimals. Carrying numbers underneath.



Division			
Foundation	Year 1	Year 2	
Practical and oral	Practical and oral Continue as foundation	$\frac{\cdot}{\cdot} = \text{signs and missing numbers}$ $6 \div 2 = \bullet \qquad \bullet = 6 \div 2$ $6 \div \bullet = 3 \qquad \qquad 3 = 6 \div \bullet$	
Songs and rhymes Making groups/piles of 2 using objects (relate to x) Finding partners, e.g. getting into 2"s in PE, how many pairs are there? Extend more able by asking how many balls do I need to get out if each pair will have 1?	Numicon to make number using equal groups	• $\div 2 = 3$ $3 = • \div 2$ • $\div \nabla = 3$ $3 = • \div \nabla$ <u>Understand division as sharing and grouping</u>	
Sharing out between people by giving 1 each – is there an easier way to do this? E.g. 2 at a time.	Pictures / marks         12 children get into teams of 4 to play a game. How many teams are there?         Image: State of the sta	Sharing – 6 sweets are shared between 2 people. How many do they have each?	
	Cutting cakes/pizzas in half, sharing relating to fractions, e.g. finding half of a group of objects.	6÷ 2 can be modelled as: Grouping – There are 6 sweets. How many people can have 2 each? (How many 2's make 6?)	
Each friend gets 3 cookies	Knowing halves of even numbers to 20.	0 2 4 6 Understanding the relationship between x and $\div$ (using the inverse) 4 x 3 = 12 12 $\div$ 3 = 4 12 $\div$ 4 = 3	



	Divis	ion	
Year3	Year 4	Year 5	Year 6
<u>+ = signs and missing numbers</u> Continue using a range of equations as in Year 2 but with appropriate numbers.	<u>+ = signs and missing numbers</u> Continue using a range of equations as in Year 2 but with appropriate numbers.	<u>+ = signs and missing numbers</u> Continue using a range of equations as in Year 2 but with appropriate numbers.	<u>+ = signs and missing numbers</u> Continue using a range of equations as in Year 2 but with appropriate numbers.
Understand division as sharing and grouping 18 + 3 can be modelled as: Sharing -18 shared between 3 (see Year 2 Dagram)	Sharing and grouping 30 $\div$ 6 can be modelled as: grouping-groups of 6 taken away and the number of groups counted e.g.	<b>Sharing and grouping</b> Continue to understand division as both sharing and grouping (repeated subtraction).	Sharing and grouping Continue to understand division as both sharing and grouping (repeated subtraction).
	sharing – sharing among 6, the number given to each person	<b>Remainders</b> Quotients expressed as fractions or decimal fractions $61 \div 4 = 15 \%$ or 15.25	RemaindersQuotients expressed as fractions or decimal fractions $676 \div 8 = 84.5$ $+640$ $+32$ $+4$
Or Grouning - How many 3's make 182	Remainders 41 + 4 = 10  r1 +1 10  grades	+40 +20 +1	OR 4 36 676
		OR 0 21 61	-4 -32
0 3 6 9 12 <b>15 1</b> 8	41	5 groups 10 groups	Pencil and paper procedures 977 ↔ 36 is approximately 1000 ↔ 40 = 25
Remainders	-1 -40	-1 -20 -40	977 977 360 (10x36) - 720 (20 x 3
16 ↔ 3 = 5 r1 Sharing - 16 shared between 3, how many left over?	OR $41 = (10x4) + 1$	Pencil and paper procedures 256 ↔ 7 lies between 210 ↔ 7 = 30 and 280 ↔ 7 = 40	617 257 260 (10226) <b>261 10</b> (5.2.26)
Grouping-How many 3's make 16, how many left	Pencil and paper procedures 72 + 5 lies between 50-:- 5 = 10 and 100-:- 5 = 20 72 50 22 (10 groups) or (10 x 5)	256 <i>:::J).</i> (10 groups) or (10 x 7) 186 140 (20 groups) or (20 x 7) 46	$ \begin{vmatrix} 257 & to & 77 \\ 180 & (5 \times 36) & -72 & (2 \times 36) \\ 77 & 5 \\ 7 & (2 \times 36) \\ 5 & \end{vmatrix} $
0 3 6 9 12 15 16	20 (4 groups) or (4 x 5)	42 (6 groups) or 4 (36 groups) or (36)	Answer: 27 <sup>5</sup> hs

Answer: 14 remainder 2

Answer: 36 remainder 4